



U

8^u Ồ 4

9

1.1 ɤ̃ ẽ ɹ ʏh ẽ ɹ hɹ π ĩ ɣ ɹ e ɔ ʏh Ǻ e
 ɔ hɹ ʊ ʏh ʊ hɹ † Ǻ ẽ ɹ Ȳ Ȭ ʊ ʒ ɸ ʊ
 † ñ Ǻ ʊ ɹ ɹ

2.1 $\tilde{O} \nmid$ $\ddot{O}$ $\text{ю} \uparrow^B \tilde{O} \nmid$ $\text{о} \bar{Y}$ M з $\tilde{O} \nmid$ т $\ddot{Y}$ P
 $U \downarrow$

2.2 $\tilde{\alpha} \nmid$ $\tilde{\alpha} \nmid q\ddot{O}$ $\underset{\cdot}{U}$ $\varkappa$ $\tilde{\alpha} \nmid$ $A\partial$ $\sqsubset \tilde{\alpha}\bar{n}\bar{y}\bar{B}$ ζ $^g j$

2.3 $\tilde{\mathcal{O}} \mathcal{M} \quad \tilde{\mathcal{O}} \mathcal{M} \mathcal{X} \quad \mathfrak{p} \mathcal{L} \quad \bar{Y} \top \tilde{\mathcal{O}} \mathcal{M} \quad \mathcal{K}^\circ \quad \mathfrak{H} \dagger \quad \mathcal{Z}^- \quad \mathcal{U}$
 $\mathcal{O} \mathcal{M} \bar{y} \quad \underline{\mathcal{U}} \mathcal{M} \mathcal{H} \mathcal{Z}^- \quad \omega \mathfrak{p} \mathcal{L} \quad \mathfrak{L} \mathcal{T} \quad \mathcal{X} \mathcal{K}$
 $\mathfrak{p} \mathcal{L} \tilde{\mathcal{O}} \mathcal{M} \quad \mathfrak{L}$

3.1 $\tilde{\mathcal{O}} \mathcal{M} \quad \mathcal{O} \mathcal{M} \mathcal{H} \quad \mathcal{L} \quad \mathcal{U} \mathcal{Y} \quad \mathcal{P} \quad \mathcal{U} \mathcal{Y} \quad \mathcal{O} \tilde{\mathcal{O}} \tilde{\mathcal{M}} \Phi \quad \mathcal{L} \mathcal{q} \quad \mathcal{U} \quad \tilde{\mathcal{O}} \mathcal{L} \mathcal{L}$
 $\mathcal{H} \mathcal{X} \quad \mathcal{O} \tilde{\mathcal{O}} \mathcal{M} \quad \mathcal{O} \mathcal{M} \mathcal{O} = \mathcal{Y}' \quad \tilde{\mathcal{O}} \mathcal{M} \quad \mathcal{O} \mathcal{M} \quad \mathcal{M} \mathcal{L} \mathcal{J} \quad \mathcal{Y} \mathcal{p} \mathcal{M}$
 $\mathcal{P} \tilde{\mathcal{O}} \mathcal{M} \mathcal{K} \bar{\mathcal{W}} \quad \zeta \zeta \quad \tilde{\mathcal{O}} \mathcal{M} \mathcal{O} = \quad \tilde{\mathcal{O}} \mathcal{M} \quad \mathcal{L}$

$$3.2 \quad \tilde{\omega} \in \mathcal{O} \cap \mathcal{P} \cap \tilde{\omega} \cap \tau \in \mathcal{C} \quad \tilde{\omega} \in \mathcal{U} \cap \mathcal{A} \cap \mathcal{B}$$

4.1 $\tilde{\mathcal{O}} \vee \quad \mathfrak{g} \quad \tilde{\mathcal{O}} \tilde{\mathcal{O}} \vee \quad \tilde{\mathcal{O}} \mathcal{L} \bar{y} \mathcal{B} \quad \mathfrak{c} \quad \mathfrak{g} \quad \bar{Y} \quad \mathfrak{q} \quad \tilde{\mathcal{O}} \mathfrak{U} \mathfrak{z}$



4.4 $\tilde{\Omega} \in \mathcal{O}(L)$ $\hat{U}$ $\tilde{\Omega} \in \dot{U}$ B $A \cdot f \cdot U' H \partial$ b

5.2 $\mathcal{L}^j \subset \mathcal{B} \tilde{\mathcal{O}} \mathcal{M} \mathcal{K} \quad \rho \quad \mathfrak{f} \quad \mathcal{A} \quad ; \quad \tilde{\mathcal{O}} \mathcal{M} \quad \mathfrak{g} \quad \mathcal{U}$
 $\mathcal{U} \quad \mathfrak{f} \quad \tilde{\mathcal{O}} \mathcal{M} \quad \mathcal{O} \mathcal{M} \quad \sim \quad \mathcal{L}$

6.5 л Õ √ П₉ ы f Y w Б° , Å ъ


$$\tilde{O} \vee A \quad B \sqcap \dagger w_v : \quad$$

7.1 ı Ů ı Ƶ ı ƶ ı Ʒ ı Ƹ ı ƹ ı ƺ ı ƻ ı Ƽ ı ƽ ı ƾ ı ƿ ı ƺ̃ ı ƺ̄ ı ƺ̅ ı ƺ̆ ı ƺ̇ ı ƺ̈ ı ƺ̉ ı ƺ̊ ı ƺ̋ ı ƺ̌ ı ƺ̍ ı ƺ̎ ı ƺ̏ ı ƺ̐ ı ƺ̑ ı ƺ̒ ı ƺ̓ ı ƺ̔ ı ƺ̕ ı ƺ̖ ı ƺ̗ ı ƺ̘ ı ƺ̙ ı ƺ̚ ı ƺ̛ ı ƺ̜ ı ƺ̝ ı ƺ̞ ı ƺ̟ ı ƺ̠ ı ƺ̡ ı ƺ̢ ı ƺ̣ ı ƺ̤ ı ƺ̥ ı ƺ̦ ı ƺ̧ ı ƺ̨ ı ƺ̩ ı ƺ̪ ı ƺ̫ ı ƺ̬ ı ƺ̭ ı ƺ̮ ı ƺ̯ ı ƺ̰ ı ƺ̱ ı ƺ̲ ı ƺ̳ ı ƺ̴ ı ƺ̵ ı ƺ̶ ı ƺ̷ ı ƺ̸ ı ƺ̹ ı ƺ̺ ı ƺ̻ ı ƺ̼ ı ƺ̽ ı ƺ̾ ı ƺ̿ ı ƺ̐̃ ı ƺ̐̄ ı ƺ̐̅ ı ƺ̐̆ ı ƺ̐̇ ı ƺ̐̈ ı ƺ̐̉ ı ƺ̐̊ ı ƺ̐̋ ı ƺ̐̌ ı ƺ̐̍ ı ƺ̐̎ ı ƺ̐̏ ı ƺ̐̑ ı ƺ̐̒ ı ƺ̐̓ ı ƺ̐̔ ı ƺ̐̕ ı ƺ̖̐ ı ƺ̗̐ ı ƺ̘̐ ı ƺ̙̐ ı ƺ̐̚ ı ƺ̛̐ ı ƺ̜̐ ı ƺ̝̐ ı ƺ̞̐ ı ƺ̟̐ ı ƺ̠̐ ı ƺ̡̐ ı ƺ̢̐ ı ƺ̣̐ ı ƺ̤̐ ı ƺ̥̐ ı ƺ̦̐ ı ƺ̧̐ ı ƺ̨̐ ı ƺ̩̐ ı ƺ̪̐ ı ƺ̫̐ ı ƺ̬̐ ı ƺ̭̐ ı ƺ̮̐ ı ƺ̯̐ ı ƺ̰̐ ı ƺ̱̐ ı ƺ̲̐ ı ƺ̳̐ ı ƺ̴̐ ı ƺ̵̐ ı ƺ̶̐ ı ƺ̷̐ ı ƺ̸̐ ı ƺ̹̐ ı ƺ̺̐ ı ƺ̻̐ ı ƺ̼̐ ı ƺ̐̽ ı ƺ̐̾ ı ƺ̐̿ ı ƺ̐̐̃ ı ƺ̐̐̄ ı ƺ̐̐̅ ı ƺ̐̐̆ ı ƺ̐̐̇ ı ƺ̐̐̈ ı ƺ̐̐̉ ı ƺ̐̐̊ ı ƺ̐̐̋ ı ƺ̐̐̌ ı ƺ̐̐̍ ı ƺ̐̐̎ ı ƺ̐̐̏ ı ƺ̐̐̑ ı ƺ̐̐̒ ı ƺ̐̐̓ ı ƺ̐̐̔ ı ƺ̐̐̕ ı ƺ̖̐̐ ı ƺ̗̐̐ ı ƺ̘̐̐ ı ƺ̙̐̐ ı ƺ̐̐̚ ı ƺ̛̐̐ ı ƺ̜̐̐ ı ƺ̝̐̐ ı ƺ̞̐̐ ı ƺ̟̐̐ ı ƺ̠̐̐ ı ƺ̡̐̐ ı ƺ̢̐̐ ı ƺ̣̐̐ ı ƺ̤̐̐ ı ƺ̥̐̐ ı ƺ̦̐̐ ı ƺ̧̐̐ ı ƺ̨̐̐ ı ƺ̩̐̐ ı ƺ̪̐̐ ı ƺ̫̐̐ ı ƺ̬̐̐ ı ƺ̭̐̐ ı ƺ̮̐̐ ı ƺ̯̐̐ ı ƺ̰̐̐ ı ƺ̱̐̐ ı ƺ̲̐̐ ı ƺ̳̐̐ ı ƺ̴̐̐ ı ƺ̵̐̐ ı ƺ̶̐̐ ı ƺ̷̐̐ ı ƺ̸̐̐ ı ƺ̹̐̐ ı ƺ̺̐̐ ı ƺ̻̐̐ ı ƺ̼̐̐ ı ƺ̐̐̽ ı ƺ̐̐̾ ı ƺ̐̐̿ ı ƺ̐̐̐̃ ı ƺ̐̐̐̄ ı ƺ̐̐̐̅ ı ƺ̐̐̐̆ ı ƺ̐̐̐̇ ı ƺ̐̐̐̈ ı ƺ̐̐̐̉ ı ƺ̐̐̐̊ ı ƺ̐̐̐̋ ı ƺ̐̐̐̌ ı ƺ̐̐̐̍ ı ƺ̐̐̐̎ ı ƺ̐̐̐̏ ı ƺ̐̐̐̑ ı ƺ̐̐̐̒ ı ƺ̐̐̐̓ ı ƺ̐̐̐̔ ı ƺ̐̐̐̕ ı ƺ̖̐̐̐ ı ƺ̗̐̐̐ ı ƺ̘̐̐̐ ı ƺ̙̐̐̐ ı ƺ̐̐̐̚ ı ƺ̛̐̐̐ ı ƺ̜̐̐̐ ı ƺ̝̐̐̐ ı ƺ̞̐̐̐ ı ƺ̟̐̐̐ ı ƺ̠̐̐̐ ı ƺ̡̐̐̐ ı ƺ̢̐̐̐ ı ƺ̣̐̐̐ ı ƺ̤̐̐̐ ı ƺ̥̐̐̐ ı ƺ̦̐̐̐ ı ƺ̧̐̐̐ ı ƺ̨̐̐̐ ı ƺ̩̐̐̐ ı ƺ̪̐̐̐ ı ƺ̫̐̐̐ ı ƺ̬̐̐̐ ı ƺ̭̐̐̐ ı ƺ̮̐̐̐ ı ƺ̯̐̐̐ ı ƺ̰̐̐̐ ı ƺ̱̐̐̐ ı ƺ̲̐̐̐ ı ƺ̳̐̐̐ ı ƺ̴̐̐̐ ı ƺ̵̐̐̐ ı ƺ̶̐̐̐ ı ƺ̷̐̐̐ ı ƺ̸̐̐̐ ı ƺ̹̐̐̐ ı ƺ̺̐̐̐ ı ƺ̻̐̐̐ ı ƺ̼̐̐̐ ı ƺ̐̐̐̽ ı ƺ̐̐̐̾ ı ƺ̐̐̐̿ ı ƺ̐̐̐̐̃ ı ƺ̐̐̐̐̄ ı ƺ̐̐̐̐̅ ı ƺ̐̐̐̐̆ ı ƺ̐̐̐̐̇ ı ƺ̐̐̐̐̈ ı ƺ̐̐̐̐̉ ı ƺ̐̐̐̐̊ ı ƺ̐̐̐̐̋ ı ƺ̐̐̐̐̌ ı ƺ̐̐̐̐̍ ı ƺ̐̐̐̐̎ ı ƺ̐̐̐̐̏ ı ƺ̐̐̐̐̑ ı ƺ̐̐̐̐̒ ı ƺ̐̐̐̐̓ ı ƺ̐̐̐̐̔ ı ƺ̐̐̐̐̕ ı ƺ̖̐̐̐̐ ı ƺ̗̐̐̐̐ ı ƺ̘̐̐̐̐ ı ƺ̙̐̐̐̐ ı ƺ̐̐̐̐̚ ı ƺ̛̐̐̐̐ ı ƺ̜̐̐̐̐ ı ƺ̝̐̐̐̐ ı ƺ̞̐̐̐̐ ı ƺ̟̐̐̐̐ ı ƺ̠̐̐̐̐ ı ƺ̡̐̐̐̐ ı ƺ̢̐̐̐̐ ı ƺ̣̐̐̐̐ ı ƺ̤̐̐̐̐ ı ƺ̥̐̐̐̐ ı ƺ̦̐̐̐̐ ı ƺ̧̐̐̐̐ ı ƺ̨̐̐̐̐ ı ƺ̩̐̐̐̐ ı ƺ̪̐̐̐̐ ı ƺ̫̐̐̐̐ ı ƺ̬̐̐̐̐ ı ƺ̭̐̐̐̐ ı ƺ̮̐̐̐̐ ı ƺ̯̐̐̐̐ ı ƺ̰̐̐̐̐ ı ƺ̱̐̐̐̐ ı ƺ̲̐̐̐̐ ı ƺ̳̐̐̐̐ ı ƺ̴̐̐̐̐ ı ƺ̵̐̐̐̐ ı ƺ̶̐̐̐̐ ı ƺ̷̐̐̐̐ ı ƺ̸̐̐̐̐ ı ƺ̹̐̐̐̐ ı ƺ̺̐̐̐̐ ı ƺ̻̐̐̐̐ ı ƺ̼̐̐̐̐ ı ƺ̐̐̐̐̽ ı ƺ̐̐̐̐̾ ı ƺ̐̐̐̐̿ ı ƺ̐̐̐̐̐̃ ı ƺ̐̐̐̐̐̄ ı ƺ̐̐̐̐̐̅ ı ƺ̐̐̐̐̐̆ ı ƺ̐̐̐̐̐̇ ı

[illegible]

7.3 ð G ø "H ı Ů ǁ A T Ĳ B Ƨ ' P U C
 Ŭ M W R A w ỹ ı e ž c L z y n
 M C e Q A b

7.4 P U 4 W v A / Y 5 7 i o 4 3

7.5 $\dot{\gamma}$ P $\dot{U}_A$ $\dot{U}$ p ∂ b

7.6 ° 8 U ц Ш м А ђ 1 Ÿ õ м 8 A Б п
U A e Ѡ ѡ ц э ŷ e Ѡ к С A ŷ С р A₁
ц ŷ Ä в Zʹ B A й Л ц Zʹ з ђ

7.7 $\begin{matrix} Z^- & P & U & A & \partial \\ \sim & \bar{Y} & X & K & \bar{E} & \partial \\ & & & & & \bar{O} & J \end{matrix}$ $\begin{matrix} U & O & L & U & - & H & \bar{Y} & L & Y \end{matrix}$

7.8 ц̣ ʋ̣ ɾ ʊ ц ʃ ɯ ɰ ʒ ɕ ʰ ʌ ʰ ẽ ʌ

з ʌ ʏ ʱ , ɬ ʒ ɸ ɯ ɰ ʌ ɬ ʒ ,

ɸ ɯ ʏ ɣ ɐ ʝ ʏ ʌ ˆ ɬ

7.9 ȳ̃ ŵ̃ Ū P Ł ȳ Ħ ǧ Ȳ Ū Ĥ A
 ȳ̃ ŵ̃ , T Ȳ , Ɔ ū J ă T Ȳ , Ɔ
 ū ȳ Ȳ X j



深圳國際控股有限公司
Shenzhen International Holdings Limited

9.3 Ā , Ƨ Ƶ Ö Ū ° Л ч Ā е Ѡ в € ц е Ѡ
/ ‡ ц ђ І / Ƴ z Ɠ 'H / Ƴ П > † Ƴ Л₁ w р † †